

District Cooling Workshop

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Towards Cooperative District Cooling Society







Optimization Models for Network Design of a District Cooling System (DCS) Mohammed Haouari – Reem Khir Department of Mechanical and Industrial Engineering

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Outline

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Principles of DCS

- District cooling is the process of providing space and process cooling services to a group of customers.
- It involves two main activities:
 - Production.
 - Distribution
 - Storage (optional)
- It includes three main elements:
 - Cooling Source (chiller plant)
 - Distribution Network
 - Customers' substations
- Capable of serving Customers of Diverse Nature:
 - Service facilities such as commercial centers, airports, hospitals, warehouses, dw ellings and schools
 - Industrial facilities such as factories and production plants



Why District Cooling?

Current Status

- Worldwide, 10% of electricity is used for cooling purposes
- This percentage is even much higher Gulf Cooperation Council (GCC) countries, where air conditioning accounts for 50% of its annual electricity consumption
- For Qatar:
 - Electricity consumption was found to be five times higher than the Middle East consumption (16.10 vs. 3.53 MWh per capita)
 - Air-conditioning currently uses close to 70% of residential power consumption during its peak in summer.
 - Features the world's highest per capita emissions with 38.17 tons of CO₂ per capita

Characteristics of DCS

- Reduces electricity consumption by 25% to 40% comparing to conventional air conditioning system.
- Reduces energy consumption per capita.
- Supports global initiatives in reducing GHG emissions.
- Improves buildings aesthetics and design with reduced noise in buildings
- ✤ Higher reliability
- Lower operating costs

Research Motivation and Scope

- DCS are economically sound alternatives on the long term as it requires a relatively high capital Investment cost.
- The economics of DCS are not only inherited and granted. Rather, they are planned and obtained.
- Further savings can be realized depending on the selected structural and operational settings.
 - 60% of systems investment cost is attributed to its distribution network
 - This suggests that the structural optimization of a DC network is paramount and well justified.

Research Scope

To develop optimization models that aids engineers in designing a minimum-cost DC systems by making optimal structural and operational decisions.

Typical Cooling Demand



Problem Description



Thermal Aspects



Hydraulics Aspects



Methodology

- Two Mixed Integer Programming models for the optimal design of DCS are developed to aid in finding:
 - The optimal **chiller plant size**.
 - The optimal storage tank size.
 - The optimal piping network size and layout.
 - The optimal quantities produced and stored during each period of time

While considering **structural** and **technical** constraints (including temperature and pressure related ones).

Plant Design and Operations (PDO) Model



$$\sum_{k=1}^{K} y_k = 1,$$

$$\sum_{h=1}^{H} g_h \le 1$$

Cont. PDO Model

$$\begin{split} F_t &\leq \sum_{k \in K} Q_k y_k & \forall t \in T \\ I_t &\leq \sum_{h \in H} D_h g_h & \forall t \in T \\ I_{t-1} + \tau F_t &= I_t + \tau \sum_{j=1}^n d_{jt} & \forall t \in T \\ I_o &= I_T \\ F_t, I_t &\geq 0 & \forall t \in T \\ y_k, g_h \in \{0,1\} & \forall k \in K, \\ \forall h \in H \end{split}$$

Network Design (ND) Model



 $\sum \sum c^m_{ij} x^m_{ij}$ $(\overline{i,j}) \in A \ \overline{m \in M}$

Subject to:

$$\sum_{i \in V_j} z_{ij} = 1 \qquad \forall j \in C$$

$$\sum_{i \in V_j} z_{ij} \le 1 \qquad \forall j \in S$$

$$\begin{split} \sum_{m \in M} x_{ij}^m &= z_{ij} & \forall (i,j) \in A \\ \sum_{i \in V_j} \sum_{m \in M} f_{ij}^{tm} - \sum_{k \in V_j^+} \sum_{m \in M} f_{ij}^{tm} &= d_{jt} & \forall j \in C \\ \forall t \in T & \forall t \in T \\ \sum_{i \in V_j} \sum_{m \in M} f_{ij}^{tm} &= \sum_{k \in A_j^+} \sum_{m \in M} f_{ij}^{tm} & \forall j \in S \\ t \in T & \forall (i,j) \in A \\ \varphi_{min}^m x_{ij}^m &\leq f_{ij}^{tm} \leq \varphi_{max}^m x_{ij}^m & \forall m \in M \\ t \in T \end{split}$$

Temperature-related Constraints

$$\begin{aligned} t_j z_{ij} &= t_i z_{ij} + \sum_{m \in M} \Delta T^m_{ij} x^m_{ij} & \forall (i, j) \in A \\ t_{min} &\leq t_j \leq t_{max} & \forall j \in C \end{aligned}$$

$$t_{min} \sum_{i \in V_j^-} z_{ij} \le t_j \le t_{max} \sum_{i \in V_j^-} z_{ij} \qquad \forall j \in S$$
$$t_r = t_{min}$$

Pressure-related Constraints

$$P_j z_{ij} = P_i z_{ij} - \sum_{m \in M} \Delta p_{ij}^m x_{ij}^m \qquad \forall (i,j) \in A$$

$$P_{min} \le P_j \le P_{max} \qquad \forall j \in C$$

$$P_{min} \sum_{i \in A_j^-} z_{ij} \le P_j \le P_{max} \sum_{i \in A_j^-} z_{ij} \qquad \forall j \in S$$
$$P_r = P_{max}$$

$$\begin{array}{l} \forall (i,j) \in A \\ \forall m \in M \\ f_{ij}^{tm} \geq 0 \\ f_{ij}^{m} \geq 0 \\ f_{ij} \in A \\ f \in T \\ m \in M \\ f_{ij} \in C \cup S \end{array}$$

Computational Experiments

- Both Models were tested and implemented using a commercial general-purpose solver (CPLEX)
 - Various networks that contained up to 60 nodes were assumed and solved.
 - On average, 3.3 hours of CPU time is required to solve the largest assumed network.
 - The CPU time to reach optimality is very sensitive to the number of design periods.

Ongoing Research



Ongoing Research

